

Package: sumSome (via r-universe)

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Title True Discovery Guarantee by Sum-Based Tests

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Description It allows to quickly perform closed testing by sum-based global tests, and construct lower confidence bounds for the TDP, simultaneously over all subsets of hypotheses. As main features, it produces permutation-based simultaneous lower confidence bounds for the proportion of active voxels in clusters for fMRI data, and for the proportion of differentially expressed genes in pathways for gene expression data. Details may be found in Vesely at al. (2021) <[arXiv:2102.11759](https://arxiv.org/abs/2102.11759)> and Tian at al. (2021) <[arXiv:2102.11253](https://arxiv.org/abs/2102.11253)>.

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sumSome-package	<i>True Discovery Guarantee by Sum-Based Tests</i>
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Description

It provides true discovery guarantees, using sum-based global statistics (sum of t-scores, p-value combinations, etc.). As main features, it produces permutation-based simultaneous lower confidence bounds for the proportion of active voxels in clusters for fMRI data, and for the proportion of differentially expressed genes in pathways for gene expression data.

Author(s)

Anna Vesely and Xu Chen.

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References

Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/1-STS356.

Tian J., Chen X., Katsevich E., Goeman J. J. and Ramdas A. (2022). Large-scale simultaneous inference under dependence. *Scandinavian Journal of Statistics*, doi: 10.1111/sjos.12614.

Vesely A., Finos L., and Goeman J. J. (2023). Permutation-based true discovery guarantee by sum tests. *Journal of the Royal Statistical Society, Series B (Statistical Methodology)*, doi: 10.1093/jrjssb/qkad019.

See Also

fMRI cluster analysis: [brainScores](#), [brainPvals](#), [brainClusters](#), [brainAnalysis](#)

Gene expression pathway analysis: [geneScores](#), [genePvals](#), [geneAnalysis](#)

General setting: [sumStats](#) and [sumPvals](#) (permutations), [sumStatsPar](#) and [sumPvalsPar](#) (parametric)

brainAnalysis

True Discovery Guarantee for Cluster Analysis of Brain Imaging Data

Description

This function uses permutation t-statistics/p-values to determine a true discovery guarantee for fMRI cluster analysis. It computes confidence bounds for the number of true discoveries and the true discovery proportion within each cluster. The bounds are simultaneous over all sets, and remain valid under post-hoc selection.

Usage

```
brainAnalysis(sumBrain, clusters = NULL, nMax = 50, silent = FALSE)
```

Arguments

sumBrain	an object of class sumBrain, as returned by the functions brainScores and brainPvals .
clusters	3D numeric array of cluster indices, or character for a Nifti file name. If NULL, the whole brain is considered.
nMax	maximum number of iterations per cluster.
silent	logical, FALSE to print a summary of active clusters.

Value

brainAnalysis returns a list containing summary (data frame) and TDPmap (3D numeric array of the true discovery proportions). The data frame summary contains, for each cluster,

- size: size
- TD: lower (1-alpha)-confidence bound for the number of true discoveries
- maxTD: maximum value of TD that could be found under convergence of the algorithm
- TDP: lower (1-alpha)-confidence bound for the true discovery proportion
- maxTDP: maximum value of TDP that could be found under convergence of the algorithm
- dim1, dim2, dim3: coordinates of the center of mass.

Author(s)

Anna Vesely.

References

Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/11-STS356.

Vesely A., Finos L., and Goeman J. J. (2023). Permutation-based true discovery guarantee by sum tests. *Journal of the Royal Statistical Society, Series B (Statistical Methodology)*, doi: 10.1093/jrssi/bqad019.

See Also

Permutation statistics for brain imaging: [brainScores](#), [brainPvals](#)

Suprathreshold clusters: [brainClusters](#)

Examples

```
# simulate 20 copes with dimensions 10x10x10
set.seed(42)
copes <- list()
for(i in seq(20)){copes[[i]] <- array(rnorm(10^3, mean = -10, sd = 30), dim=c(10,10,10))}

# cluster map where t scores are greater than 2.8, in absolute value
thr <- 2.8
cl <- brainClusters(copes = copes, thr = thr)

# create object of class sumBrain
res <- brainScores(copes = copes, alpha = 0.2, seed = 42, truncFrom = thr)
res
summary(res)

# confidence bound for the number of true discoveries and the TDP within clusters
out <- brainAnalysis(res, clusters = cl$clusters)
out$summary
```

brainClusters

Suprathreshold Clusters for Brain Imaging

Description

This function determines spatially connected clusters, where t-scores are more extreme than a given threshold.

Usage

```
brainClusters(copes, mask = NULL, thr = 3.2, alternative = "two.sided", silent = FALSE)
```

Arguments

copes	list of 3D numeric arrays (contrasts maps for each subject).
mask	3D logical array, where TRUE values correspond to voxels inside the brain, or character for a Nifti file name.
thr	threshold.
alternative	direction of the alternative hypothesis (greater, lower, two.sided).
silent	logical, FALSE to print the number of clusters.

Value

brainClusters returns a 3D numeric array, with integer values corresponding to clusters, and 0 to other voxels.

Author(s)

Anna Vesely.

See Also

Permutation statistics for brain imaging: [brainScores](#), [brainPvals](#)

True discovery guarantee for cluster analysis: [brainAnalysis](#)

Examples

```
# simulate 20 copes with dimensions 10x10x10
set.seed(42)
copes <- list()
for(i in seq(20)){copes[[i]] <- array(rnorm(10^3, mean = -10, sd = 30), dim=c(10,10,10))}

# cluster map where t scores are grater than 2.8, in absolute value
thr <- 2.8
cl <- brainClusters(copes = copes, thr = thr)

# create object of class sumBrain
res <- brainScores(copes = copes, alpha = 0.2, seed = 42, truncFrom = thr)
res
summary(res)

# confidence bound for the number of true discoveries and the TDP within clusters
out <- brainAnalysis(res, clusters = cl$clusters)
out$summary
```

 brainPvals

Permutation p-Values for Brain Imaging

Description

This function computes p-value combinations for different permutations of brain imaging data. A voxel's p-value is calculated by performing the one-sample t test for the null hypothesis that its mean contrast over the different subjects is zero.

Usage

```
brainPvals(copes, mask = NULL, alternative = "two.sided", alpha = 0.05, B = 200,
           seed = NULL, truncFrom = NULL, truncTo = 0.5,
           type = "vovk.wang", r = 0, rand = FALSE)
```

Arguments

copies	list of 3D numeric arrays (contrasts maps for each subject).
mask	3D logical array, where TRUE values correspond to voxels inside the brain, or character for a Nifti file name.
alternative	direction of the alternative hypothesis (greater, lower, two.sided).
alpha	significance level.
B	number of permutations, including the identity.
seed	seed.
truncFrom	truncation parameter: values greater than truncFrom are truncated. If NULL, it is set to alpha.
truncTo	truncation parameter: truncated values are set to truncTo. If NULL, p-values are not truncated.
type	p-value combination among edgington, fisher, pearson, liptak, cauchy, harmonic, vovk.wang (see details).
r	parameter for Vovk and Wang's p-value combination.
rand	logical, TRUE to compute p-values by permutation distribution.

Details

A p-value p is transformed as following.

- Edgington: p (Edgington, 1972)
- Fisher: $-2\log(p)$ (Fisher, 1925)
- Pearson: $2\log(1-p)$ (Pearson, 1933)
- Liptak: $qnorm(1-p)$ (Liptak, 1958; Stouffer et al., 1949)
- Cauchy: $\tan[(0.5-p)\pi]$ with $\pi=3.142$ (Liu and Xie, 2020)
- Harmonic mean: $1/p$ (Wilson, 2019)

- Vovk and Wang: p^r ($\log(p)$ for $r=0$) (Vovk and Wang, 2020)

An error message is returned if the transformation produces infinite values.

For Vovk and Wang, $r=0$ corresponds to Fisher, and $r=-1$ to the harmonic mean.

Truncation parameters should be such that `truncTo` is not smaller than `truncFrom`. As Pearson's and Liptak's transformations produce infinite values in 1, for such methods `truncTo` should be strictly smaller than 1.

The significance level α should be in the interval $[1/B, 1)$.

Value

`brainPvals` returns an object of class `sumBrain`, containing

- `statistics`: numeric matrix of p-values, where columns correspond to voxels inside the brain, and rows to permutations. The first permutation is the identity
- `mask`: 3D logical array, where TRUE values correspond to voxels inside the brain
- `alpha`: significance level
- `truncFrom`: transformed first truncation parameter
- `truncTo`: transformed second truncation parameter

Author(s)

Anna Vesely.

References

Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/11-STS356.

Vesely A., Finos L., and Goeman J. J. (2023). Permutation-based true discovery guarantee by sum tests. *Journal of the Royal Statistical Society, Series B (Statistical Methodology)*, doi: 10.1093/jrssi/bqad019.

See Also

Permutation statistics for brain imaging using t scores: [brainScores](#)

True discovery guarantee for cluster analysis: [brainAnalysis](#)

Suprathreshold clusters: [brainClusters](#)

Examples

```
# simulate 20 copes with dimensions 10x10x10
set.seed(42)
copes <- list()
for(i in seq(20)){copes[[i]] <- array(rnorm(10^3, mean = -10, sd = 30), dim=c(10,10,10))}

# cluster map where t scores are greater than 2.8, in absolute value
thr <- 2.8
cl <- brainClusters(copes = copes, thr = thr)
```

```
# create object of class sumBrain (combination: Cauchy)
res <- brainPvals(copes = copes, alpha = 0.2, seed = 42, type = "cauchy")
res
summary(res)

# confidence bound for the number of true discoveries and the TDP within clusters
out <- brainAnalysis(res, clusters = cl$clusters)
out$summary
```

brainScores

Permutation t-Scores for Brain Imaging

Description

This function computes t-scores for different permutations of brain imaging data. A voxel's score is calculated by performing the one-sample t test for the null hypothesis that its mean contrast over the different subjects is zero.

Usage

```
brainScores(copes, mask = NULL, alternative = "two.sided", alpha = 0.05, B = 200,
            seed = NULL, truncFrom = 3.2, truncTo = 0, squares = FALSE)
```

Arguments

copies	list of 3D numeric arrays (contrasts maps for each subject).
mask	3D logical array, where TRUE values correspond to voxels inside the brain, or character for a Nifti file name.
alternative	direction of the alternative hypothesis (greater, lower, two.sided).
alpha	significance level.
B	number of permutations, including the identity.
seed	seed.
truncFrom	truncation parameter: values less extreme than truncFrom are truncated. If NULL, statistics are not truncated.
truncTo	truncation parameter: truncated values are set to truncTo. If NULL, statistics are not truncated.
squares	logical, TRUE to use squared t-scores.

Details

Truncation parameters should be such that truncTo is not more extreme than truncFrom.

The significance level alpha should be in the interval $[1/B, 1)$.

Value

brainScores returns an object of class sumBrain, containing

- **statistics**: numeric matrix of t-scores, where columns correspond to voxels inside the brain, and rows to permutations. The first permutation is the identity
- **mask**: 3D logical array, where TRUE values correspond to voxels inside the brain
- **alpha**: significance level
- **truncFrom**: transformed first truncation parameter
- **truncTo**: transformed second truncation parameter

Author(s)

Anna Vesely.

References

Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/11-STS356.

Vesely A., Finos L., and Goeman J. J. (2023). Permutation-based true discovery guarantee by sum tests. *Journal of the Royal Statistical Society, Series B (Statistical Methodology)*, doi: 10.1093/jrsssb/qkad019.

See Also

Permutation statistics for brain imaging using p-values: [brainPvals](#)

True discovery guarantee for cluster analysis: [brainAnalysis](#)

Suprathreshold clusters: [brainClusters](#)

Examples

```
# simulate 20 copes with dimensions 10x10x10
set.seed(42)
copes <- list()
for(i in seq(20)){copes[[i]] <- array(rnorm(10^3, mean = -10, sd = 30), dim=c(10,10,10))}

# cluster map where t scores are grater than 2.8, in absolute value
thr <- 2.8
cl <- brainClusters(copes = copes, thr = thr)

# create object of class sumBrain
res <- brainScores(copes = copes, alpha = 0.2, seed = 42, truncFrom = thr)
res
summary(res)

# confidence bound for the number of true discoveries and the TDP within clusters
out <- brainAnalysis(res, clusters = cl$clusters)
out$summary
```

`discoveries`*Confidence Bound for the Number of True Discoveries*

Description

This function determines a lower confidence bound for the number of true discoveries within a set of interest. The bound remains valid under post-hoc selection.

Usage

```
discoveries(object)

## S3 method for class 'sumObj'
discoveries(object)
```

Arguments

`object` an object of class `sumObj`, as returned by the functions `sumStats` and `sumPvals`.

Value

`discoveries` returns a lower (1-alpha)-confidence bound for the number of true discoveries in the set.

Author(s)

Anna Vesely.

See Also

Create a `sumObj` object: `sumStats`, `sumPvals`

Lower confidence bound for the TDP: `tdp`

Upper confidence bound for the FDP: `fdp`

Examples

```
# generate matrix of p-values for 5 variables and 10 permutations
G <- simData(prop = 0.6, m = 5, B = 10, alpha = 0.4, seed = 42)

# subset of interest (variables 1 and 2)
S <- c(1,2)

# create object of class sumObj
# combination: harmonic mean (Vovk and Wang with r = -1)
res <- sumPvals(G, S, alpha = 0.4, r = -1)
res
summary(res)
```

```
# lower confidence bound for the number of true discoveries in S
discoveries(res)

# lower confidence bound for the true discovery proportion in S
tdp(res)

# upper confidence bound for the false discovery proportion in S
fdp(res)
```

fdp

Confidence Bound for the FDP

Description

This function determines an upper confidence bound for the false discovery proportion within a set of interest. The bound remains valid under post-hoc selection.

Usage

```
fdp(object)

## S3 method for class 'sumObj'
fdp(object)
```

Arguments

`object` an object of class `sumObj`, as returned by the functions [sumStats](#) and [sumPvals](#).

Value

fdp returns an upper (1-alpha)-confidence bound for the false discovery proportion in the set.

Author(s)

Anna Vesely.

See Also

Create a `sumObj` object: [sumStats](#), [sumPvals](#)
Lower confidence bound for the number of true discoveries: [discoveries](#)
Lower confidence bound for the TDP: [tdp](#)

Examples

```

# generate matrix of p-values for 5 variables and 10 permutations
G <- simData(prop = 0.6, m = 5, B = 10, alpha = 0.4, seed = 42)

# subset of interest (variables 1 and 2)
S <- c(1,2)

# create object of class sumObj
# combination: harmonic mean (Vovk and Wang with r = -1)
res <- sumPvals(G, S, alpha = 0.4, r = -1)
res
summary(res)

# lower confidence bound for the number of true discoveries in S
discoveries(res)

# lower confidence bound for the true discovery proportion in S
tdp(res)

# upper confidence bound for the false discovery proportion in S
fdp(res)

```

geneAnalysis

True Discovery Guarantee for Pathway Analysis of Gene Expression Data

Description

This function uses permutation t-statistics/p-values to determine a true discovery guarantee for gene pathway analysis. It computes confidence bounds for the number of true discoveries and the true discovery proportion within each cluster. The bounds are simultaneous over all sets, and remain valid under post-hoc selection.

Usage

```
geneAnalysis(sumGene, pathways = NULL, nMax = 50, silent = FALSE)
```

Arguments

sumGene	an object of class sumGene, as returned by the functions geneScores and genePvals .
pathways	list of character vectors containing gene names (one vector per pathway). If NULL, the whole gene set is considered.
nMax	maximum number of iterations per cluster.
silent	logical, FALSE to print a summary of active pathways.

Value

geneAnalysis returns a data frame containing, for each pathway,

- size: size
- TD: lower (1-alpha)-confidence bound for the number of true discoveries
- maxTD: maximum value of TD that could be found under convergence of the algorithm
- TDP: lower (1-alpha)-confidence bound for the true discovery proportion
- maxTDP: maximum value of TDP that could be found under convergence of the algorithm.

Author(s)

Anna Vesely.

References

Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/11-STS356.

Vesely A., Finos L., and Goeman J. J. (2023). Permutation-based true discovery guarantee by sum tests. *Journal of the Royal Statistical Society, Series B (Statistical Methodology)*, doi: 10.1093/jrssi/bqad019.

See Also

Permutation statistics for gene expression: [geneScores](#), [genePvals](#)

Examples

```
# simulate 20 samples of 100 genes
set.seed(42)
expr <- matrix(c(rnorm(1000, mean = 0, sd = 10), rnorm(1000, mean = 13, sd = 10)), ncol = 20)
rownames(expr) <- seq(100)
labels <- rep(c(1,2), each = 10)

# simulate pathways
pathways <- lapply(seq(3), FUN = function(x) sample(rownames(expr), 3*x))

# create object of class sumGene
res <- geneScores(expr = expr, labels = labels, alpha = 0.2, seed = 42)
res
summary(res)

# confidence bound for the number of true discoveries and the TDP within pathways
out <- geneAnalysis(res, pathways = pathways)
out
```

genePvals

*Permutation p-Values for Gene Expression***Description**

This function computes p-value combinations for different permutations of gene expression data. A gene's p-value is calculated by performing the two-sample t test for the null hypothesis that the mean expression value is the same between two populations.

Usage

```
genePvals(expr, labels, alternative = "two.sided", alpha = 0.05, B = 200, seed = NULL,
          truncFrom = NULL, truncTo = 0.5, type = "vovk.wang", r = 0, rand = FALSE)
```

Arguments

expr	matrix where rows correspond to genes, and columns to samples.
labels	numeric/character vector with two levels, denoting the population of each sample.
alternative	direction of the alternative hypothesis (greater, lower, two.sided).
alpha	significance level.
B	number of permutations, including the identity.
seed	seed.
truncFrom	truncation parameter: values greater than truncFrom are truncated. If NULL, it is set to alpha.
truncTo	truncation parameter: truncated values are set to truncTo. If NULL, p-values are not truncated.
type	p-value combination among edgington, fisher, pearson, liptak, cauchy, harmonic, vovk.wang (see details).
r	parameter for Vovk and Wang's p-value combination.
rand	logical, TRUE to compute p-values by permutation distribution.

Details

A p-value p is transformed as following.

- Edgington: p (Edgington, 1972)
- Fisher: $-2\log(p)$ (Fisher, 1925)
- Pearson: $2\log(1-p)$ (Pearson, 1933)
- Liptak: $qnorm(1-p)$ (Liptak, 1958; Stouffer et al., 1949)
- Cauchy: $\tan[(0.5-p)\pi]$ with $\pi=3.142$ (Liu and Xie, 2020)
- Harmonic mean: $1/p$ (Wilson, 2019)

- Vovk and Wang: p^r ($\log(p)$ for $r=0$) (Vovk and Wang, 2020)

An error message is returned if the transformation produces infinite values.

For Vovk and Wang, $r=0$ corresponds to Fisher, and $r=-1$ to the harmonic mean.

Truncation parameters should be such that `truncTo` is not smaller than `truncFrom`. As Pearson's and Liptak's transformations produce infinite values in 1, for such methods `truncTo` should be strictly smaller than 1.

The significance level α should be in the interval $[1/B, 1)$.

Value

`genePvals` returns an object of class `sumGene`, containing

- `statistics`: numeric matrix of p-values, where columns correspond to genes, and rows to permutations. The first permutation is the identity
- `alpha`: significance level
- `truncFrom`: transformed first truncation parameter
- `truncTo`: transformed second truncation parameter

Author(s)

Anna Vesely.

References

Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/11-STS356.

Vesely A., Finos L., and Goeman J. J. (2023). Permutation-based true discovery guarantee by sum tests. *Journal of the Royal Statistical Society, Series B (Statistical Methodology)*, doi: 10.1093/jrssi/bqkad019.

See Also

Permutation statistics for gene expression using t scores: [geneScores](#)

True discovery guarantee for cluster analysis: [geneAnalysis](#)

Examples

```
# simulate 20 samples of 100 genes
set.seed(42)
expr <- matrix(c(rnorm(1000, mean = 0, sd = 10), rnorm(1000, mean = 13, sd = 10)), ncol = 20)
rownames(expr) <- seq(100)
labels <- rep(c(1,2), each = 10)

# simulate pathways
pathways <- lapply(seq(3), FUN = function(x) sample(rownames(expr), 3*x))

# create object of class sumGene
res <- genePvals(expr = expr, labels = labels, alpha = 0.2, seed = 42, type = "liptak")
res
```

```
summary(res)

# confidence bound for the number of true discoveries and the TDP within pathways
out <- geneAnalysis(res, pathways = pathways)
out
```

geneScores

Permutation t-Scores for Gene Expression

Description

This function computes t-scores for different permutations of gene expression data. A gene's score is calculated by performing the two-sample t test for the null hypothesis that the mean expression value is the same between two populations.

Usage

```
geneScores(expr, labels, alternative = "two.sided", alpha = 0.05, B = 200, seed = NULL,
           truncFrom = 3.2, truncTo = 0, squares = FALSE)
```

Arguments

expr	matrix where rows correspond to genes, and columns to samples.
labels	numeric/character vector with two levels, denoting the population of each sample.
alternative	direction of the alternative hypothesis (greater, lower, two.sided).
alpha	significance level.
B	number of permutations, including the identity.
seed	seed.
truncFrom	truncation parameter: values less extreme than truncFrom are truncated. If NULL, statistics are not truncated.
truncTo	truncation parameter: truncated values are set to truncTo. If NULL, statistics are not truncated.
squares	logical, TRUE to use squared t-scores.

Details

Truncation parameters should be such that truncTo is not more extreme than truncFrom.

The significance level alpha should be in the interval $[1/B, 1)$.

Value

geneScores returns an object of class `sumGene`, containing

- `statistics`: numeric matrix of scores, where columns correspond to genes, and rows to permutations. The first permutation is the identity
- `alpha`: significance level
- `truncFrom`: transformed first truncation parameter
- `truncTo`: transformed second truncation parameter

Author(s)

Anna Vesely.

References

Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/11-STS356.

Vesely A., Finos L., and Goeman J. J. (2023). Permutation-based true discovery guarantee by sum tests. *Journal of the Royal Statistical Society, Series B (Statistical Methodology)*, doi: 10.1093/jrssi/bqkad019.

See Also

Permutation statistics for gene expression using p-values: [genePvals](#)

True discovery guarantee for cluster analysis: [geneAnalysis](#)

Examples

```
# simulate 20 samples of 100 genes
set.seed(42)
expr <- matrix(c(rnorm(1000, mean = 0, sd = 10), rnorm(1000, mean = 13, sd = 10)), ncol = 20)
rownames(expr) <- seq(100)
labels <- rep(c(1,2), each = 10)

# simulate pathways
pathways <- lapply(seq(3), FUN = function(x) sample(rownames(expr), 3*x))

# create object of class sumGene
res <- geneScores(expr = expr, labels = labels, alpha = 0.2, seed = 42)
res
summary(res)

# confidence bound for the number of true discoveries and the TDP within pathways
out <- geneAnalysis(res, pathways = pathways)
out
```

`simData`*Simulating Matrix of Statistics*

Description

This function simulates a matrix of permutation statistics, by performing a t test on normal data.

Usage

```
simData(prop, m, B = 200, rho = 0, n = 50, alpha = 0.05, pw = 0.8, p = TRUE, seed = NULL)
```

Arguments

<code>prop</code>	proportion of non-null hypotheses.
<code>m</code>	total number of variables.
<code>B</code>	number of permutations, including the identity.
<code>rho</code>	level of equicorrelation between pairs of variables.
<code>n</code>	number of observations.
<code>alpha</code>	significance level.
<code>pw</code>	power of the t test.
<code>p</code>	logical, TRUE to compute p-values, FALSE to compute t-scores.
<code>seed</code>	seed.

Details

The function applies the one-sample two-sided t test to a matrix of simulated data, for B data permutations. Data is obtained by simulating n independent observations from a multivariate normal distribution, where a proportion `prop` of the variables has non-null mean. This mean is such that the one-sample t test with significance level `alpha` has power equal to `pw`. Each pair of distinct variables has equicorrelation `rho`.

Value

`simData` returns a matrix where the B rows correspond to permutations (the first is the identity), and the m columns correspond to variables. The matrix contains p-values if `p` is TRUE, and t-scores otherwise. The first columns (a proportion `prop`) correspond to non-null hypotheses.

Author(s)

Anna Vesely.

See Also

True discovery guarantee: [sumStats](#), [sumPvals](#)

Examples

```
# generate matrix of p-values for 5 variables and 10 permutations
G <- simData(prop = 0.6, m = 5, B = 10, alpha = 0.4, seed = 42)

# subset of interest (variables 1 and 2)
S <- c(1,2)

# create object of class sumObj
# combination: harmonic mean (Vovk and Wang with r = -1)
res <- sumPvals(G, S, alpha = 0.4, r = -1)
res
summary(res)

# lower confidence bound for the number of true discoveries in S
discoveries(res)

# lower confidence bound for the true discovery proportion in S
tdp(res)

# upper confidence bound for the false discovery proportion in S
fdp(res)
```

sumPvals

True Discovery Guarantee for p-Value Combinations - Permutation

Description

This function uses permutation p-values to determine confidence bounds for the number of true discoveries, the true discovery proportion and the false discovery proportion within a set of interest. The bounds are simultaneous over all sets, and remain valid under post-hoc selection.

Usage

```
sumPvals(G, S = NULL, alpha = 0.05, truncFrom = NULL, truncTo = 0.5,
         type = "vovk.wang", r = 0, nMax = 50)
```

Arguments

G	numeric matrix of p-values, where columns correspond to variables, and rows to data transformations (e.g. permutations). The first transformation is the identity.
S	vector of indices for the variables of interest (if not specified, all variables).
alpha	significance level.
truncFrom	truncation parameter: values greater than truncFrom are truncated. If NULL, it is set to alpha.
truncTo	truncation parameter: truncated values are set to truncTo. If NULL, p-values are not truncated.

type	p-value combination among edgington, fisher, pearson, liptak, cauchy, harmonic, vovk.wang (see details).
r	parameter for Vovk and Wang's p-value combination.
nMax	maximum number of iterations.

Details

A p-value p is transformed as following.

- Edgington: p (Edgington, 1972)
- Fisher: $-2\log(p)$ (Fisher, 1925)
- Pearson: $2\log(1-p)$ (Pearson, 1933)
- Liptak: $qnorm(1-p)$ (Liptak, 1958; Stouffer et al., 1949)
- Cauchy: $\tan[(0.5-p)\pi]$ with $\pi=3.142$ (Liu and Xie, 2020)
- Harmonic mean: $1/p$ (Wilson, 2019)
- Vovk and Wang: p^r ($\log(p)$ for $r=0$) (Vovk and Wang, 2020)

An error message is returned if the transformation produces infinite values.

For Vovk and Wang, $r=0$ corresponds to Fisher, and $r=-1$ to the harmonic mean.

Truncation parameters should be such that `truncTo` is not smaller than `truncFrom`. As Pearson's and Liptak's transformations produce infinite values in 1, for such methods `truncTo` should be strictly smaller than 1.

The significance level α should be in the interval $[1/B, 1)$, where B is the number of data transformations (rows in G).

Value

`sumPvals` returns an object of class `sumObj`, containing

- `total`: total number of variables (columns in G)
- `size`: size of S
- `alpha`: significance level
- `TD`: lower $(1-\alpha)$ -confidence bound for the number of true discoveries in S
- `maxTD`: maximum value of `TD` that could be found under convergence of the algorithm
- `iterations`: number of iterations of the algorithm

Author(s)

Anna Vesely.

References

- Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/11-STS356.
- Vesely A., Finos L., and Goeman J. J. (2023). Permutation-based true discovery guarantee by sum tests. *Journal of the Royal Statistical Society, Series B (Statistical Methodology)*, doi: 10.1093/jrsssb/qkad019.

See Also

True discovery guarantee using generic statistics: [sumStats](#)

Access a sumObj object: [discoveries](#), [tdp](#), [fdp](#)

Examples

```
# generate matrix of p-values for 5 variables and 10 permutations
G <- simData(prop = 0.6, m = 5, B = 10, alpha = 0.4, seed = 42)

# subset of interest (variables 1 and 2)
S <- c(1,2)

# create object of class sumObj
# combination: harmonic mean (Vovk and Wang with r = -1)
res <- sumPvals(G, S, alpha = 0.4, r = -1)
res
summary(res)

# lower confidence bound for the number of true discoveries in S
discoveries(res)

# lower confidence bound for the true discovery proportion in S
tdp(res)

# upper confidence bound for the false discovery proportion in S
fdp(res)
```

sumPvalsPar

True Discovery Guarantee for p-Value Combinations - Parametric

Description

This function uses p-values to determine confidence bounds for the number of true discoveries, the true discovery proportion and the false discovery proportion within a set of interest. The bounds are simultaneous over all sets, and remain valid under post-hoc selection.

Usage

```
sumPvalsPar(g, S = NULL, alpha = 0.05, type = "vovk.wang", r = 0, independence = NULL)
```

Arguments

<code>g</code>	numeric vector of p-values.
<code>S</code>	vector of indices for the variables of interest (if not specified, all variables).
<code>alpha</code>	significance level.
<code>type</code>	p-value combination among fisher, pearson, liptak, cauchy, harmonic, vovk.wang (see details).

r	parameter for Vovk and Wang's p-value combination.
independence	logical, TRUE to assume independence, FALSE for general dependence structure. If not specified, it is set to FALSE for vovk.wang, and TRUE otherwise.

Details

A p-value p is transformed as following.

- Fisher: $-2\log(p)$ (Fisher, 1925)
- Pearson: $2\log(1-p)$ (Pearson, 1933)
- Liptak: $qnorm(1-p)$ (Liptak, 1958; Stouffer et al., 1949)
- Cauchy: $\tan[(0.5-p)\pi]$ with $\pi=3.142$ (Liu and Xie, 2020)
- Harmonic mean: $1/p$ (Wilson, 2019)
- Vovk and Wang: p^r ($\log(p)$ for $r=0$) (Vovk and Wang, 2020)

An error message is returned if the transformation produces infinite values.

For Vovk and Wang, $r=-\text{Inf}$ corresponds to the minimum p-value, $r=\text{Inf}$ to the maximum p-value, $r=0$ to Fisher, and $r=-1$ to the harmonic mean.

Under independence, for Vovk and Wang the test is defined only for $r=0$ and $r=1$. Under general dependence, the test is defined only for Fisher, the harmonic mean and Vovk and Wang.

For combinations that are not implemented, if the vector of critical values is known the method can be applied through [sumStatsPar](#). Please contact us to implement other known vectors of critical values that do not currently appear.

Value

sumPvalsPar returns an object of class sumObj, containing

- total: total number of variables (length of g)
- size: size of S
- alpha: significance level
- TD: lower $(1-\text{alpha})$ -confidence bound for the number of true discoveries in S
- maxTD: maximum value of TD that could be found under convergence of the algorithm
- iterations: number of iterations of the algorithm (NULL)

Author(s)

Xu Chen.

References

- Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/11-STS356.
- Tian J., Chen X., Katsevich E., Goeman J. J. and Ramdas A. (2022). Large-scale simultaneous inference under dependence. *Scandinavian Journal of Statistics*, doi: 10.1111/sjos.12614.

See Also

True discovery guarantee using generic statistics (parametric): [sumStatsPar](#)

Access a sumObj object: [discoveries](#), [tdp](#), [fdp](#)

Examples

```
# generate vector of p-values for 5 variables
g <- as.vector(simData(prop = 0.6, m = 5, B = 1, alpha = 0.4, seed = 42))

# subset of interest (variables 1 and 2)
S <- c(1,2)

# create object of class sumObj
# combination: harmonic mean under general dependence
res <- sumPvalsPar(g, S, alpha = 0.4, type = "harmonic", independence = FALSE)
res
summary(res)

# lower confidence bound for the number of true discoveries in S
discoveries(res)

# lower confidence bound for the true discovery proportion in S
tdp(res)

# upper confidence bound for the false discovery proportion in S
fdp(res)
```

sumStats

True Discovery Guarantee for Generic Statistics - Permutation

Description

This function uses generic permutation statistics to determine confidence bounds for the number of true discoveries, the true discovery proportion and the false discovery proportion within a set of interest. The bounds are simultaneous over all sets, and remain valid under post-hoc selection.

Usage

```
sumStats(G, S = NULL, alternative = "greater", alpha = 0.05,
         truncFrom = NULL, truncTo = NULL, nMax = 50)
```

Arguments

G	numeric matrix of statistics, where columns correspond to variables, and rows to data transformations (e.g. permutations). The first transformation is the identity.
S	vector of indices for the variables of interest (if not specified, all variables).
alternative	direction of the alternative hypothesis (greater, lower, two.sided).

alpha	significance level.
truncFrom	truncation parameter: values less extreme than truncFrom are truncated. If NULL, statistics are not truncated.
truncTo	truncation parameter: truncated values are set to truncTo. If NULL, statistics are not truncated.
nMax	maximum number of iterations.

Details

Truncation parameters should be such that truncTo is not more extreme than truncFrom.

The significance level alpha should be in the interval $[1/B, 1)$, where B is the number of data transformations (rows in G).

Value

sumStats returns an object of class sumObj, containing

- total: total number of variables (columns in G)
- size: size of S
- alpha: significance level
- TD: lower $(1-\alpha)$ -confidence bound for the number of true discoveries in S
- maxTD: maximum value of TD that could be found under convergence of the algorithm
- iterations: number of iterations of the algorithm

Author(s)

Anna Vesely.

References

Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/11-STS356.

Vesely A., Finos L., and Goeman J. J. (2023). Permutation-based true discovery guarantee by sum tests. *Journal of the Royal Statistical Society, Series B (Statistical Methodology)*, doi: 10.1093/jrssi/bqad019.

See Also

True discovery guarantee using p-values: [sumPvals](#)

Access a sumObj object: [discoveries](#), [tdp](#), [fdp](#)

Examples

```
# generate matrix of t-scores for 5 variables and 10 permutations
G <- simData(prop = 0.6, m = 5, B = 10, alpha = 0.4, p = FALSE, seed = 42)

# subset of interest (variables 1 and 2)
S <- c(1,2)
```



```

# create object of class sumObj
res <- sumStats(G, S, alpha = 0.4, truncFrom = 0.7, truncTo = 0)
res
summary(res)

# lower confidence bound for the number of true discoveries in S
discoveries(res)

# lower confidence bound for the true discovery proportion in S
tdp(res)

# upper confidence bound for the false discovery proportion in S
fdp(res)

```

sumStatsPar

True Discovery Guarantee for Generic Statistics - Parametric

Description

This function uses generic statistics and a suitable vector of critical values to determine confidence bounds for the number of true discoveries, the true discovery proportion and the false discovery proportion within a set of interest. The bounds are simultaneous over all sets, and remain valid under post-hoc selection.

Usage

```
sumStatsPar(g, S = NULL, alpha = 0.05, cvs)
```

Arguments

<code>g</code>	numeric vector of statistics.
<code>S</code>	vector of indices for the variables of interest (if not specified, all variables).
<code>alpha</code>	significance level.
<code>cvs</code>	numeric vector of critical values for summed statistics considering $1:m$ hypotheses.

Value

sumStatsPar returns an object of class sumObj, containing

- `total`: total number of variables (length of `g`)
- `size`: size of `S`
- `alpha`: significance level
- `TD`: lower $(1-\alpha)$ -confidence bound for the number of true discoveries in `S`
- `maxTD`: maximum value of `TD` that could be found under convergence of the algorithm
- `iterations`: number of iterations of the algorithm (NULL)

Author(s)

Xu Chen.

References

Goeman J. J. and Solari A. (2011). Multiple testing for exploratory research. *Statistical Science*, doi: 10.1214/11-STS356.

Tian J., Chen X., Katsevich E., Goeman J. J. and Ramdas A. (2022). Large-scale simultaneous inference under dependence. *Scandinavian Journal of Statistics*, doi: 10.1111/sjos.12614.

See Also

True discovery guarantee using p-values (parametric): [sumPvalsPar](#)

Access a sumObj object: [discoveries](#), [tdp](#), [fdp](#)

Examples

```
# generate vector of statistics for 5 variables (Fisher transformation of p-values)
g <- as.vector(simData(prop = 0.6, m = 5, B = 1, alpha = 0.4, seed = 42))
g <- -2 * log(g)

# subset of interest (variables 1 and 2)
S <- c(1,2)

# vector of critical values
cvs <- qchisq(p = 0.4, df = 2 * seq(5), lower.tail=FALSE)

# create object of class sumObj
res <- sumStatsPar(g, S, alpha = 0.4, cvs = cvs)
res
summary(res)

# lower confidence bound for the number of true discoveries in S
discoveries(res)

# lower confidence bound for the true discovery proportion in S
tdp(res)

# upper confidence bound for the false discovery proportion in S
fdp(res)
```

 tdp | *Confidence Bound for the TDP* |**Description**

This function determines a lower confidence bound for the true discovery proportion within a set of interest. The bound remains valid under post-hoc selection.

Usage

```
tdp(object)

## S3 method for class 'sumObj'
tdp(object)
```

Arguments

object an object of class `sumObj`, as returned by the functions [sumStats](#) and [sumPvals](#).

Value

tdp returns a lower $(1-\alpha)$ -confidence bound for the true discovery proportion in the set.

Author(s)

Anna Vesely.

See Also

Create a `sumObj` object: [sumStats](#), [sumPvals](#)
Lower confidence bound for the number of true discoveries: [discoveries](#)
Upper confidence bound for the FDP: [fdp](#)

Examples

```
# generate matrix of p-values for 5 variables and 10 permutations
G <- simData(prop = 0.6, m = 5, B = 10, alpha = 0.4, seed = 42)

# subset of interest (variables 1 and 2)
S <- c(1,2)

# create object of class sumObj
# combination: harmonic mean (Vovk and Wang with r = -1)
res <- sumPvals(G, S, alpha = 0.4, r = -1)
res
summary(res)

# lower confidence bound for the number of true discoveries in S
discoveries(res)

# lower confidence bound for the true discovery proportion in S
tdp(res)

# upper confidence bound for the false discovery proportion in S
fdp(res)
```

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